

**14.3 IDEAL GASES** 22 Pgs. 7/15/2

**Section Review**

**Objectives**

- Compute the value of an unknown using the ideal gas law
- Compare and contrast real and ideal gases

**Vocabulary**

- ideal gas constant (*R*)
- ideal gas law

**Key Equation**

- Ideal gas law:  $P \times V = n \times R \times T$  or  $PV = nRT$

**Part A Completion**

Use this completion exercise to check your understanding of the concepts and terms that are introduced in this section. Each blank can be completed with a term, short phrase, or number.

- The ideal gas law permits you to solve for the 1 of a contained gas when the pressure, volume, and temperature are known. The ideal gas law is described by the formula 2 where the variable 3 represents the number of moles of gas and the letter *R* is the 4. *R* is equal to 5. A gas that conforms to the gas laws at all conditions of temperature and pressure is an 6 gas. No 7 gas behaves ideally at all temperatures and pressures. Deviations from ideal behavior at high pressures can be explained by the intermolecular 8 between particles in a gas and the actual 9 of the particles.

1. # moles  
2.  $PV = nRT$

3. n  
4. ideal gas constant

5. 8.31 kPa/kmol  
6. ideal

7. real  
8. forces of attraction

9. volume

**Part B True-False**

Classify each of these statements as always true, AT; sometimes true, ST; or never true, NT.

- AT 10. The ideal gas law allows you to solve for the number of moles of a contained gas when pressure, volume, and temperature are known.  
 ST 11. The ratio  $(P \times V)/(R \times T)$  is equal to 1 for real gases.  
 NT 12. The behavior of a gas is most likely to approach ideal behavior at a high pressure and a low temperature.  
 NT 13. For an ideal gas, pressure and volume are directly proportional to each other when all other factors remain constant.  
 AT 14. The number of moles of gas is directly proportional to the number of particles.

$PV = nRT$   $R = 8.21 \text{ LkPa/kmol}$

**Part C Matching**

Match each description in Column B to the correct term in Column A.

- |  |  |
|--|--|
| <b>Column A</b>                              | <b>Column B</b>  |
| <u>d</u> 15. ideal gas law                   | a. $8.31 \times \frac{\text{L}\cdot\text{kPa}}{\text{K}\cdot\text{mol}}$         |
| <u>c</u> 16. real gas                        | b. a gas that follows the gas laws at all conditions of pressure and temperature |
| <u>b</u> 17. ideal gas                       | c. a gas that can be liquefied by applying pressure                              |
| <u>a</u> 18. ideal gas constant ( <i>R</i> ) | d. $PV = nRT$  |

**Part D Questions and Problems**

Answer the following in the space provided.

19. Calculate the number of moles of oxygen in a 12.5-L tank if the pressure is 25.325 kPa and the temperature is 22°C.  $PV = nRT$   $n = ?$   $P = 25325 \text{ kPa}$   $25325(12.5) = n(8.31)(295) + 1 \text{ atm}$   
 $V = 12.5 \text{ L}$   $T = 22^\circ + 273^\circ = 295 \text{ K}$   $n = 1.29 \text{ mol}$
20. Calculate the mass of nitrogen dioxide present in a 275-ml container if the pressure is 240.0 kPa and the temperature is 28°C.  
 $m_{\text{NO}_2} = ?$   $PV = nRT$   
 $V = 275 \text{ ml} = 0.275 \text{ L}$   $240.0(0.275) = n(8.31)(301)$   
 $P = 240.0 \text{ kPa}$   $n = 0.264 \text{ mol} + 1$   
 $T = 28^\circ + 273 = 301 \text{ K}$   
 $0.264 \text{ mol} \times \frac{46.09}{1 \text{ mol}} = 1.219 \text{ g} + 1$

14.4

GASES: MIXTURES AND MOVEMENTS

1997 (13)

Section Review

Objectives

- Relate the total pressure of a mixture of gases to the partial pressures of the component gases
- Explain how the molar mass of a gas affects the rate at which the gas diffuses and effuses

Vocabulary

- partial pressure
- Dalton's law of partial pressures
- diffusion
- effusion
- Graham's law of effusion

Key Equations

- Dalton's law of partial pressures:  $P_{total} = P_1 + P_2 + P_3 + \dots$
- Graham's law of effusion:  $\frac{Rate_A}{Rate_B} = \sqrt{\frac{\text{molar mass}_B}{\text{molar mass}_A}}$

Part A Completion

Use this completion exercise to check your understanding of the concepts and terms that are introduced in this section. Each blank can be completed with a term, short phrase, or number.

- According to Dalton's law of partial pressures, at constant volume and temperature, the 1 total pressure exerted by a mixture of gases is equal to the 2 sum of the partial pressures of the component gases.
- Molecules tend to move to areas of 3 lower concentration until the concentration is 4 equal or uniform. This process is called 5 diffusion.
- 6 effusion is the process by which a gas escapes through a tiny 7 hole in its container.
- The rate of effusion of a gas is 8 inversely proportional to the square root of the gas' 9 molar mass. This relationship is described by 10 Graham's Law.

Part B True-False

Classify each of these statements as always true, AT; sometimes true, ST; or never true, NT.

- AT 11. The fraction of the pressure exerted by a gas in a mixture does not change as the temperature, pressure, or volume changes.
- NT 12. The rate of diffusion of a gas is not influenced by its molar mass.
- SI 13. Two objects with the same mass move at the same velocity.
- AT 14. Diffusion is the tendency of molecules to move towards areas of lower concentration until the concentration is uniform throughout.

Part C Matching

Match each description in Column B to the correct term in Column A.

- |                                       |  |
|---------------------------------------|--|
| <u>a</u> 15. partial pressure         | <u>a</u> the pressure exerted by each gas in a gaseous mixture   |
| <u>b</u> 16. effusion                 | <u>b</u> the escape of a gas through a tiny hole in its container  |
| <u>c</u> 17. Graham's law of effusion | <u>c</u> The rate of effusion of a gas is inversely proportional to the square root of its formula mass. |

Part D Questions and Problems

Answer the following in the space provided.

18. Explain, using kinetic theory, why molecules of low molar mass diffuse more rapidly than molecules with a higher molar mass.
- +2 Assuming the molecules are at the same temperature, they therefore have the same average KE.  $KE = \frac{1}{2}mv^2$  so if mass is lower then velocity is higher so the light molecules would move through faster.